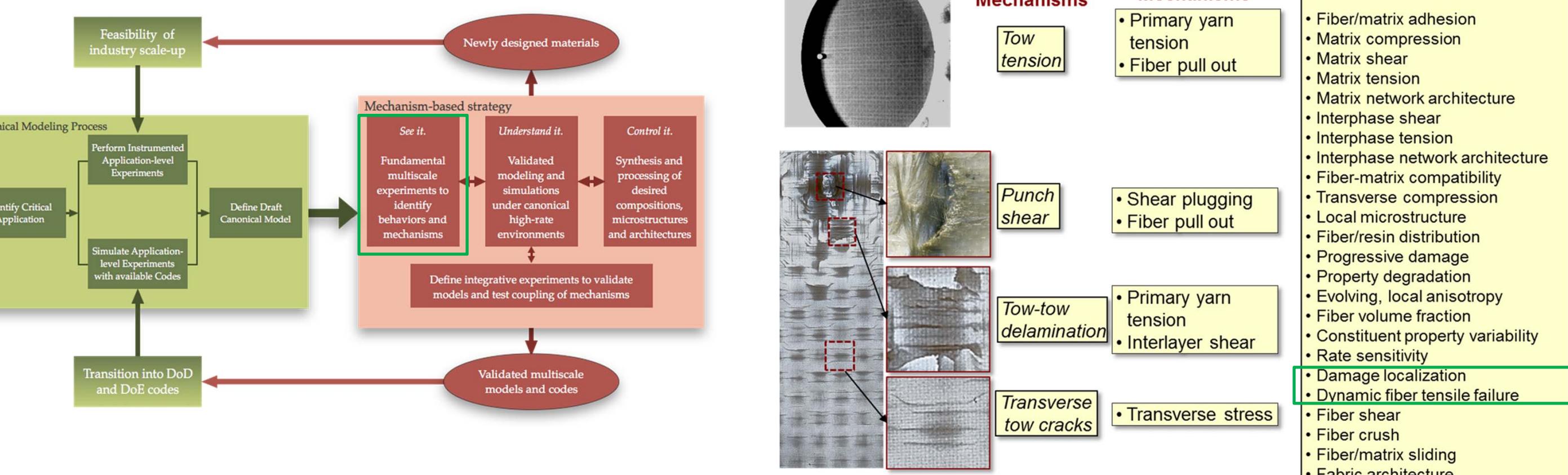




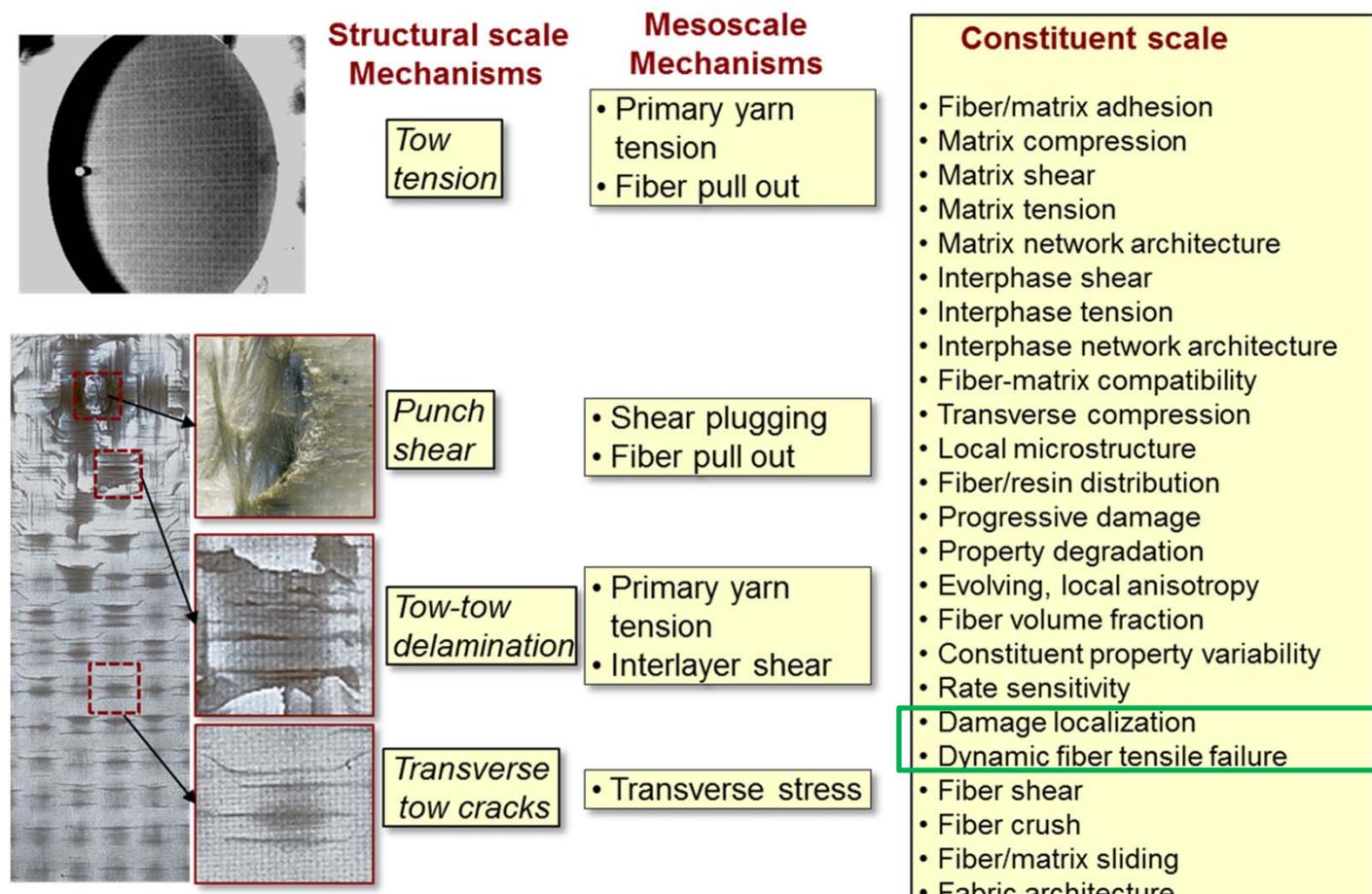
Raja Ganesh (UDel), Eric Henderson (UDel, URAP-Intern), Ryan Tocker (UDel), Sanjib Chowdhury (UDel), John W. Gillespie Jr. (UDel), Daniel J. O'Brien (ARL), Travis Bogetti (ARL)

## How We Fit

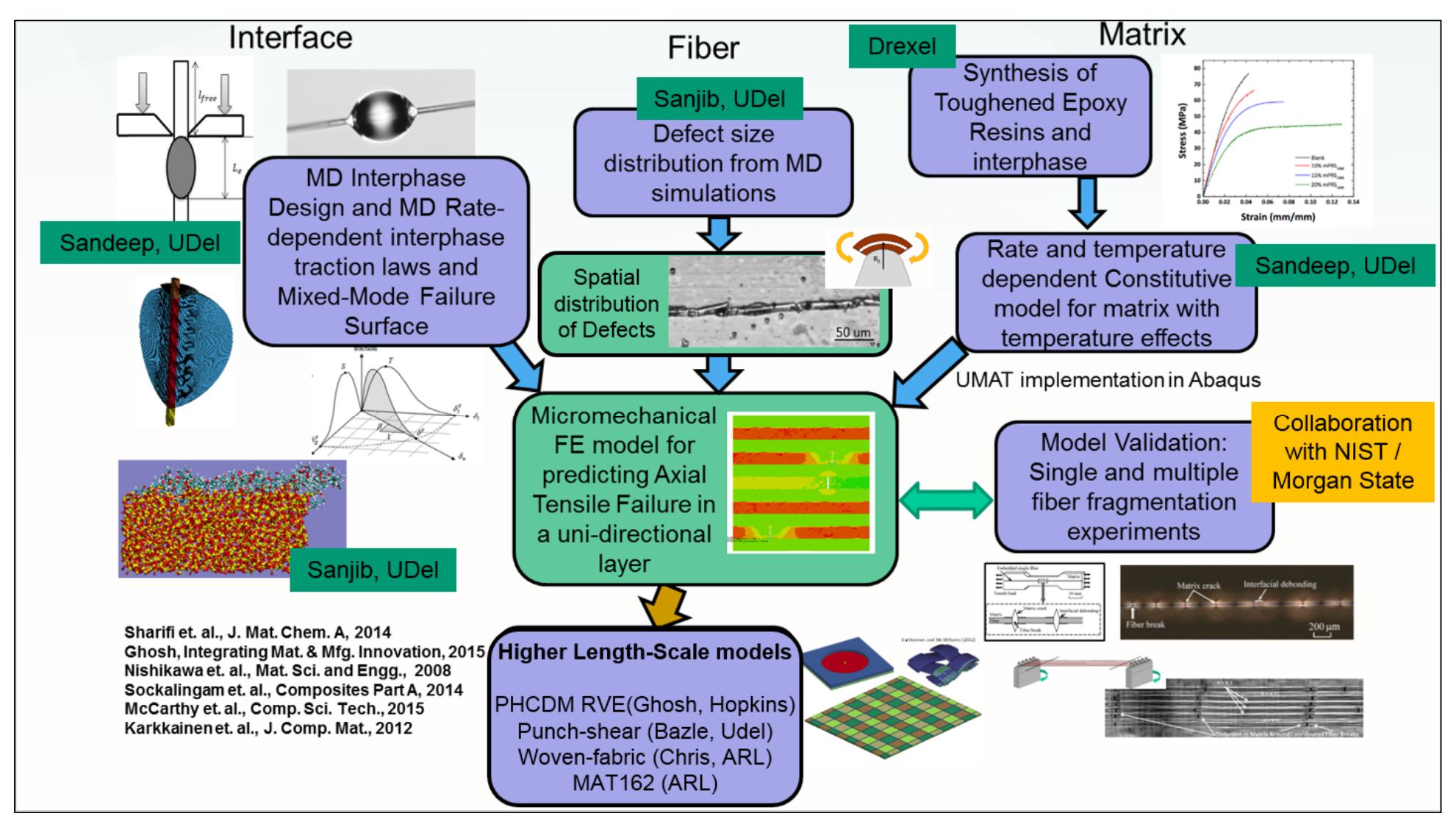
### Materials-by-Design Process



### Mechanism-based Approach

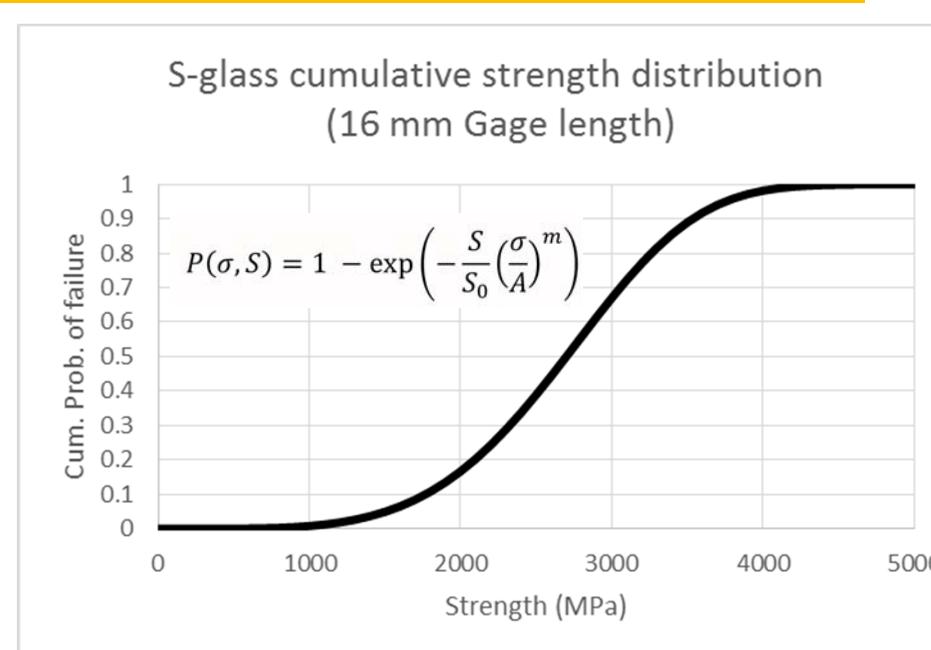


### Interaction with composites CMRG tasks

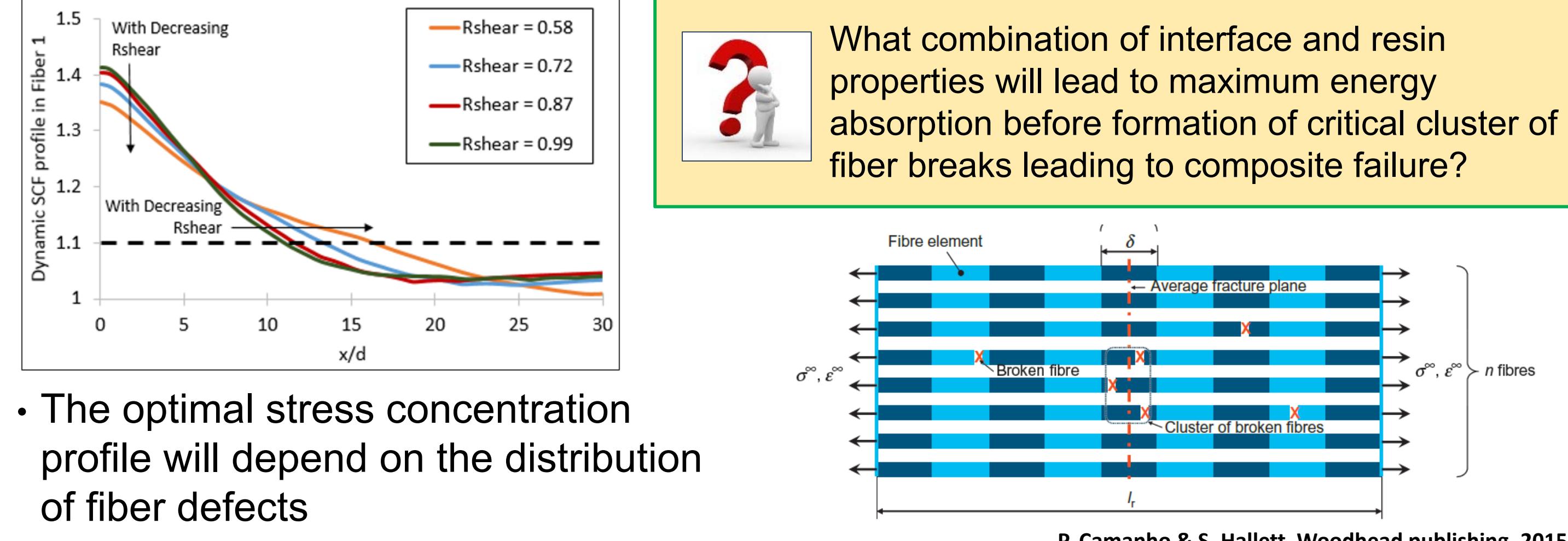


## Background and Motivation

- Due to their brittle nature, S-2 Glass fibers exhibit a probabilistic distribution of strength
- Typically described using a Gage-length dependent 2-parameter Weibull distribution
- Depends on the size and spatial distribution of critical defects



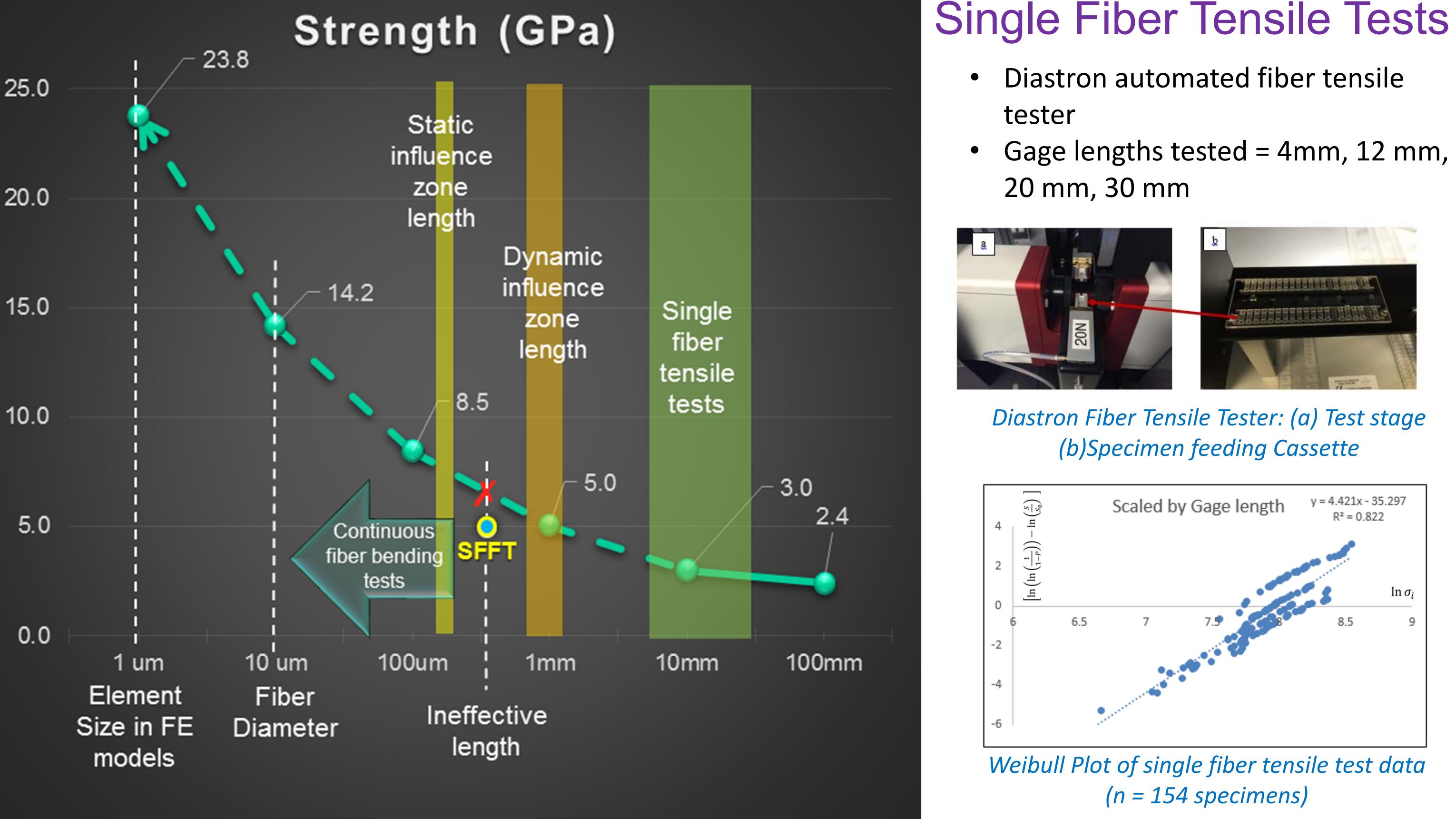
What combination of interface and resin properties will lead to maximum energy absorption before formation of critical cluster of fiber breaks leading to composite failure?



- The optimal stress concentration profile will depend on the distribution of fiber defects

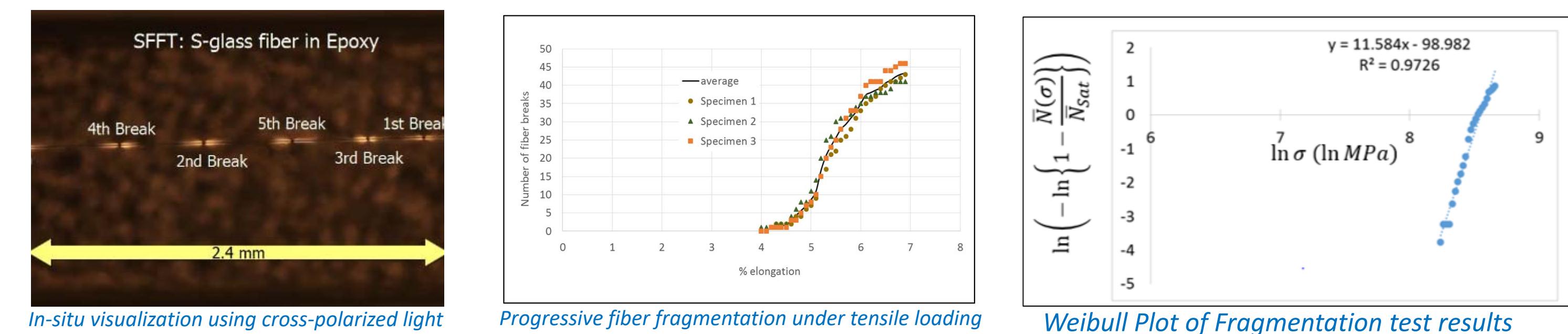
To experimentally determine the statistical distribution (size and spatial) of Critical surface defects in S-glass fiber  
Use this input in micromechanical FE models to accurately predict the evolution and clustering of multiple fiber breaks (which ultimately lead to composite failure)

## Technical Approach



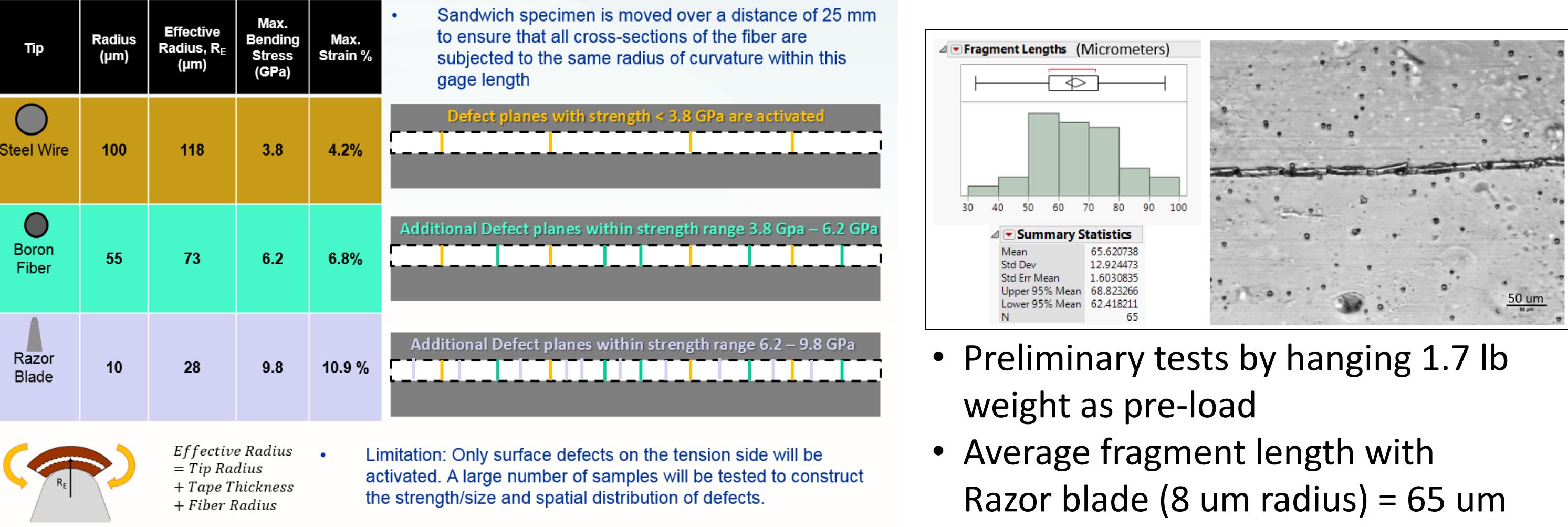
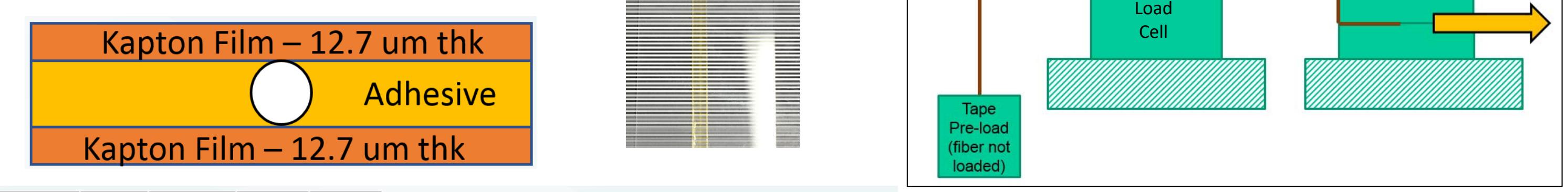
### Single Fiber Fragmentation Test (SFFT)

- Single S-glass fiber embedded in DER353-Epoxy Dogbone (16 mm gage length)
- Saturated fragment length of 365 microns (defects spaced within this length are shielded)
- Extrapolation of fiber tensile test data leads to over-estimation of mean strength by ~25%**

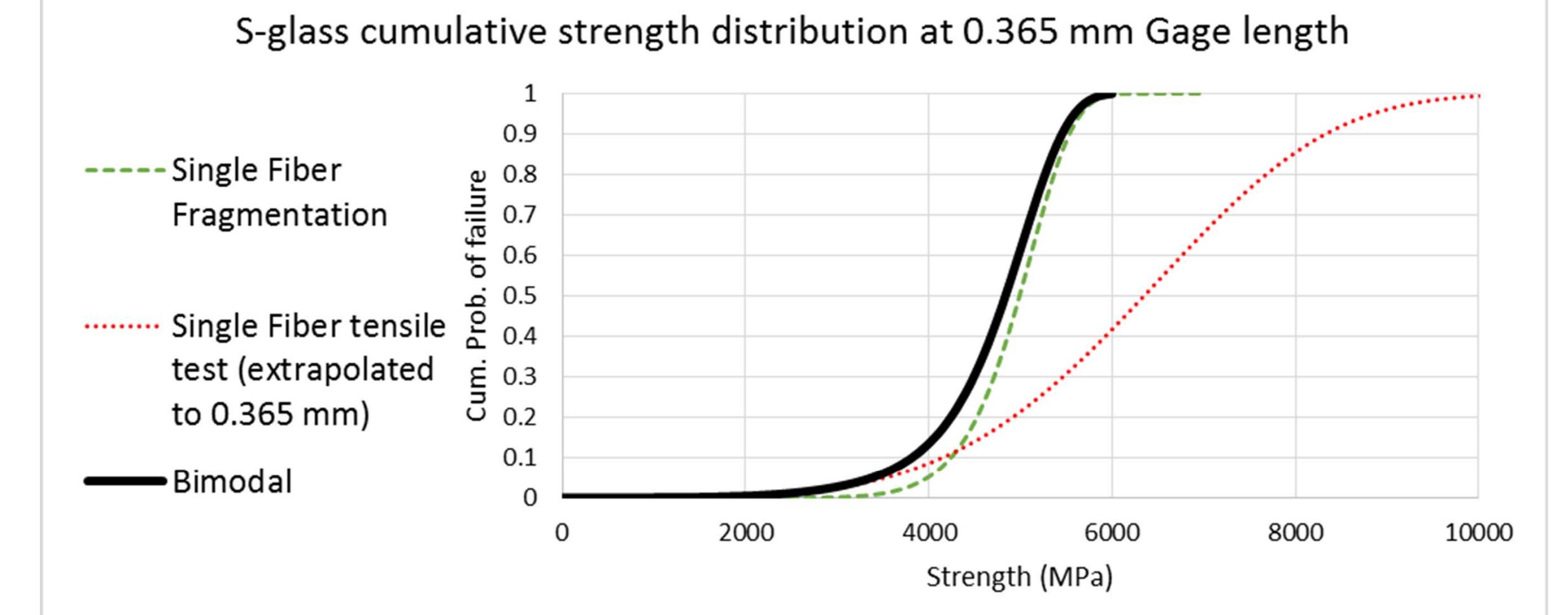


### Measuring Critical Stress/Defect Size and Location Continuous Fiber Bending Experiment

- Fiber surface sprayed with WD-40 to prevent shear transfer with adhesive
- All contact surfaces lubricated with Mineral Oil
- Kapton tape at bottom ensures fiber surface does not get abraded by the blade/wire



## Major Results



- Bimodal nature of Weibull distribution

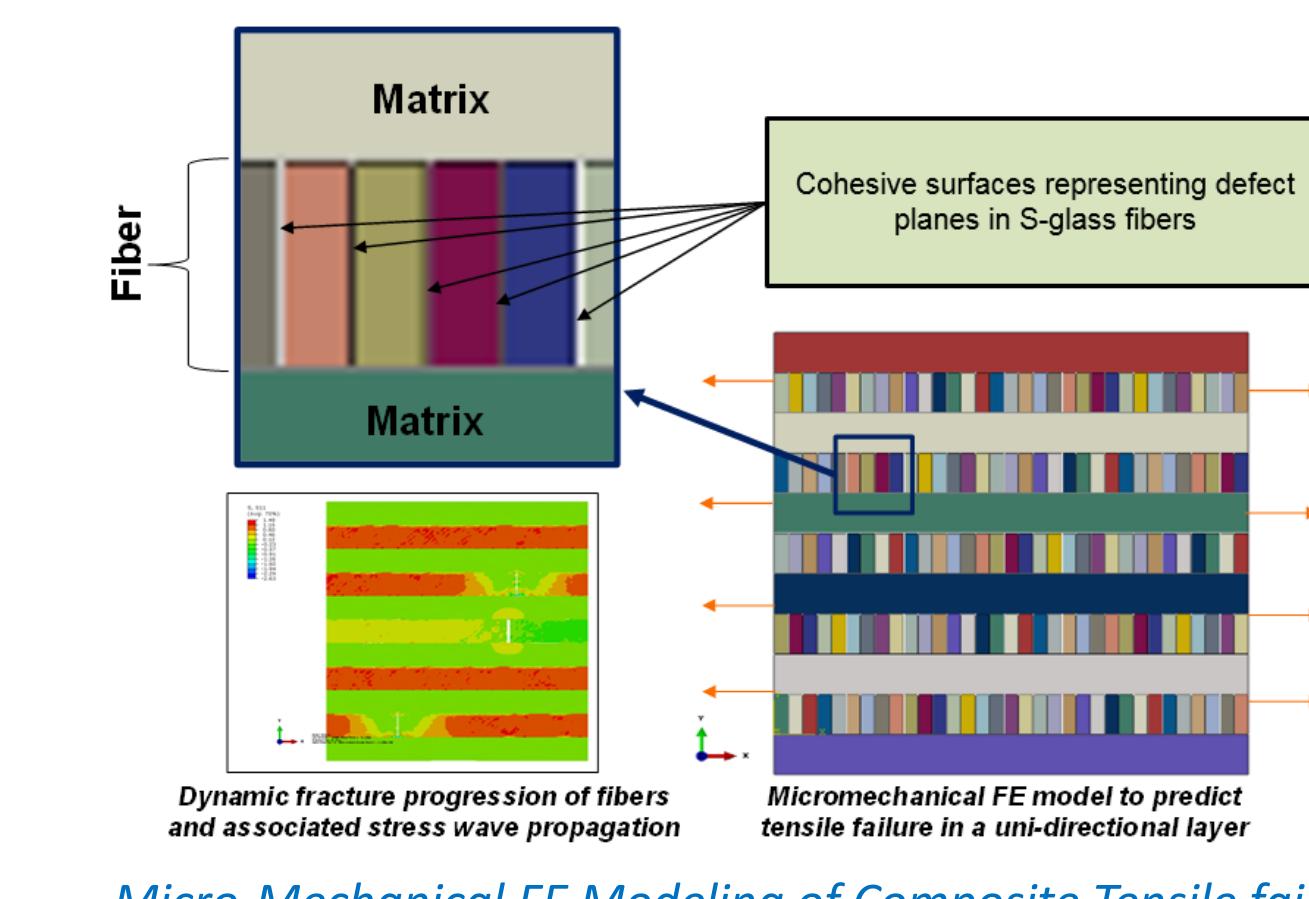
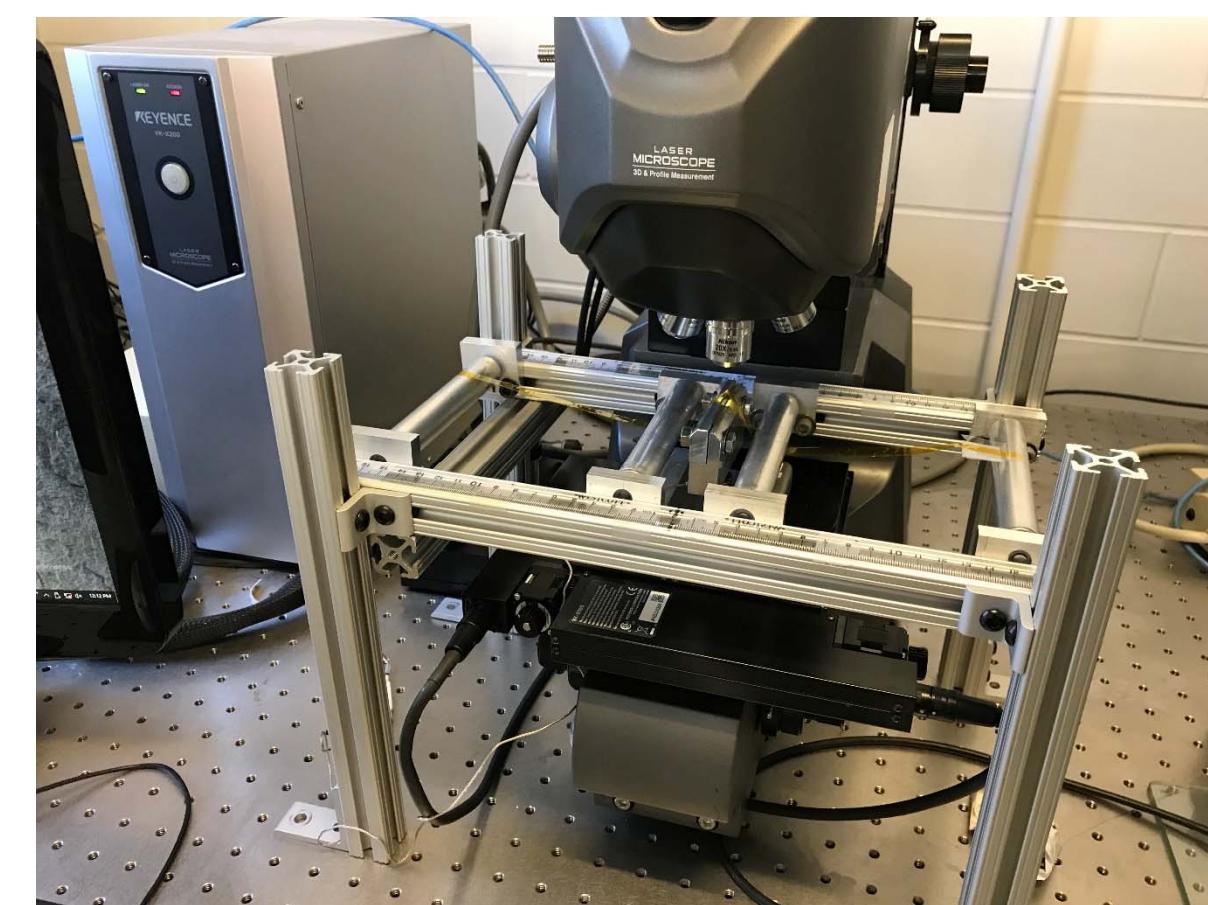
$$P(\sigma, l) = 1 - \exp\left(-\frac{1}{l_{01}}\left(\frac{\sigma}{\sigma_{01}}\right)^{\beta_1} - \frac{1}{l_{02}}\left(\frac{\sigma}{\sigma_{02}}\right)^{\beta_2}\right)$$

Watanabe et al. J. Mater. Adv. Compos. Materials, 2014

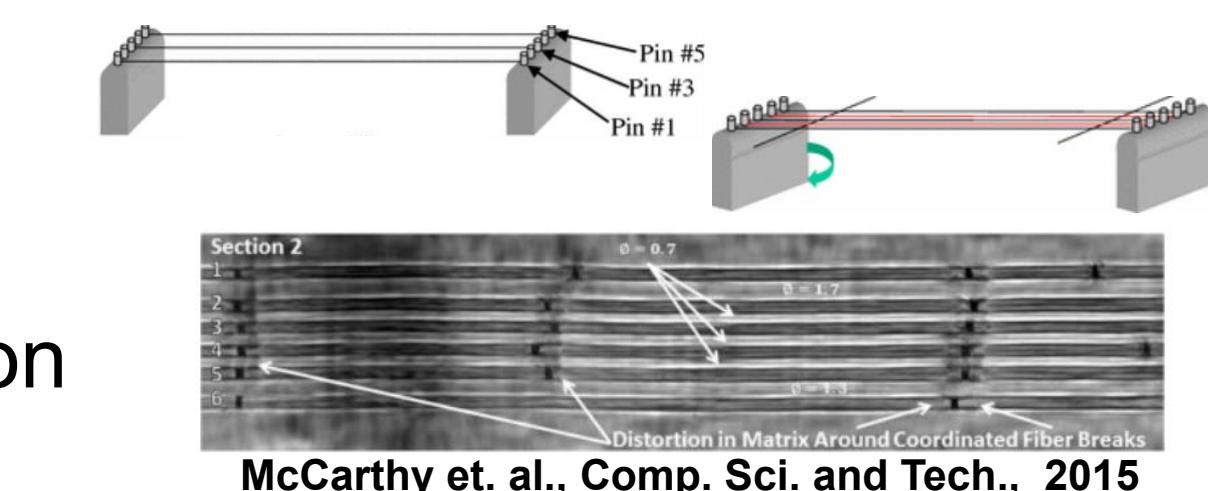
Parameter	Value
$l_{01}$	16 mm
$\sigma_{01}$	2.93 GPa
$\beta_1$	4.45
$l_{02}$	0.365 mm
$\sigma_{02}$	5.15 Gpa
$\beta_2$	11.58

## Work in-progress

- Standardize the Continuous fiber bending experiment
- Fixture built to perform experiment in-situ under confocal microscope



- Use defect distribution data in Micromechanical FE models to predict evolution and clustering of multiple fiber breaks



- Validate model using single and multi-fiber fragmentation experiments (potential collaboration with NIST)

## Impact

- Generation of a defect-distribution based model capable of predicting progression of fiber breaks under a range of applied strain rates
- Will also provide direct input to dynamic Punch-shear models (Dr. Haque, UDel)

